

Hawaii Machine Learning Meetup

Machine Learning Review

2/18/2019

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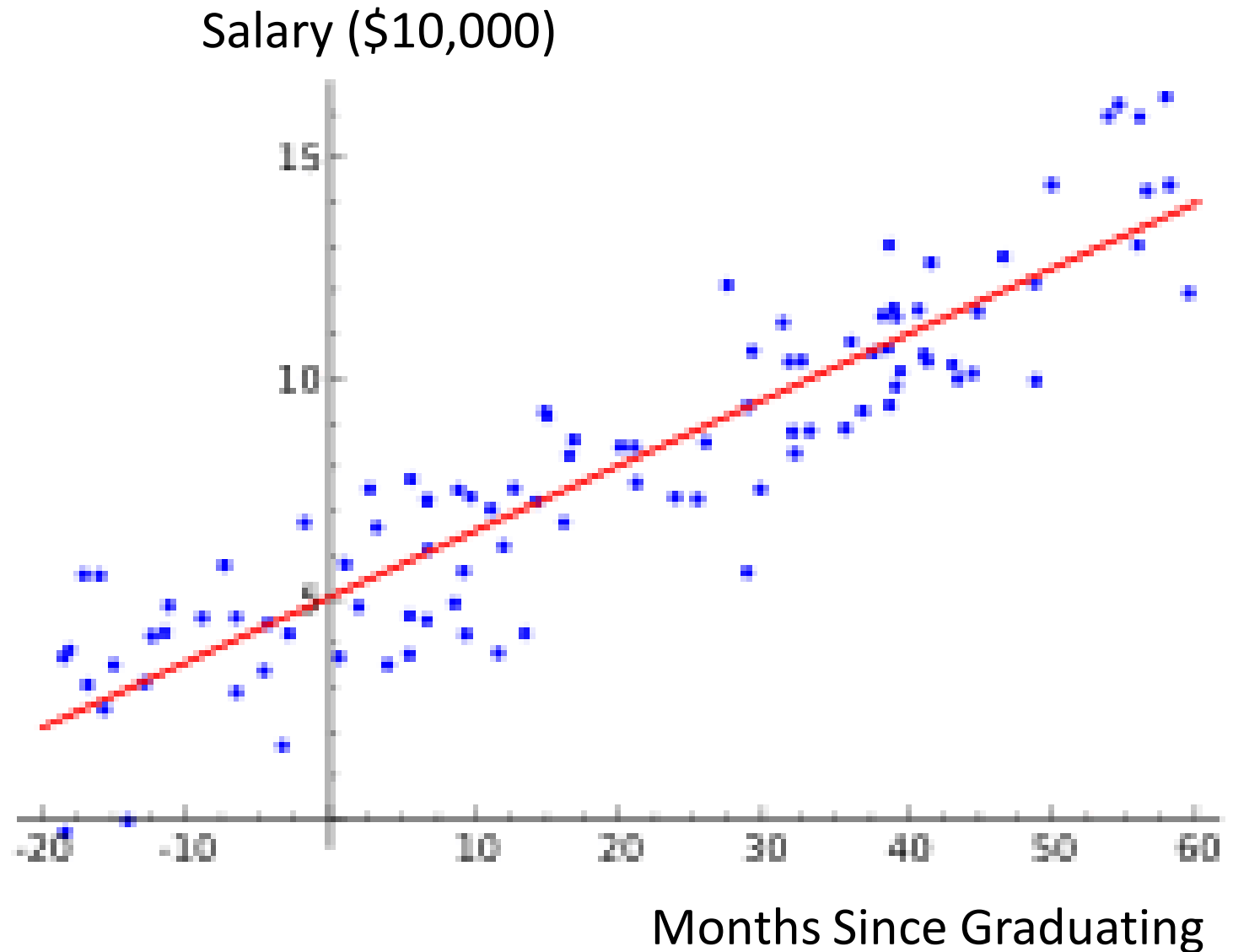
- Linear Regression
- Classification
- Resampling Methods
- Model Selection and Regularization
- Neural Networks

Linear Regression

Linear Regression predicts a continuous variable using a linear model.

$$\hat{y} = \beta_0 + \beta_1 x_1$$

For example, predicting salary using time since graduating.



Terminology

$$\hat{y} = \beta_0 + \beta_1 x_1 + \beta_2 x_2 + \cdots + \beta_p x_p$$

- y is a continuous target variable, response, or dependent variable
- \hat{y} is our prediction
- x_j are the predictors, features, or independent variables
- β_0 is the intercept or bias
- β_j are the coefficients, weights, or parameters

Linear Regression

Finding the best coefficients

Linear Regression: $\hat{y}^{(i)} = \beta_0 + \beta_1 x_1^{(i)} + \beta_2 x_2^{(i)} + \dots + \beta_p x_p^{(i)}$

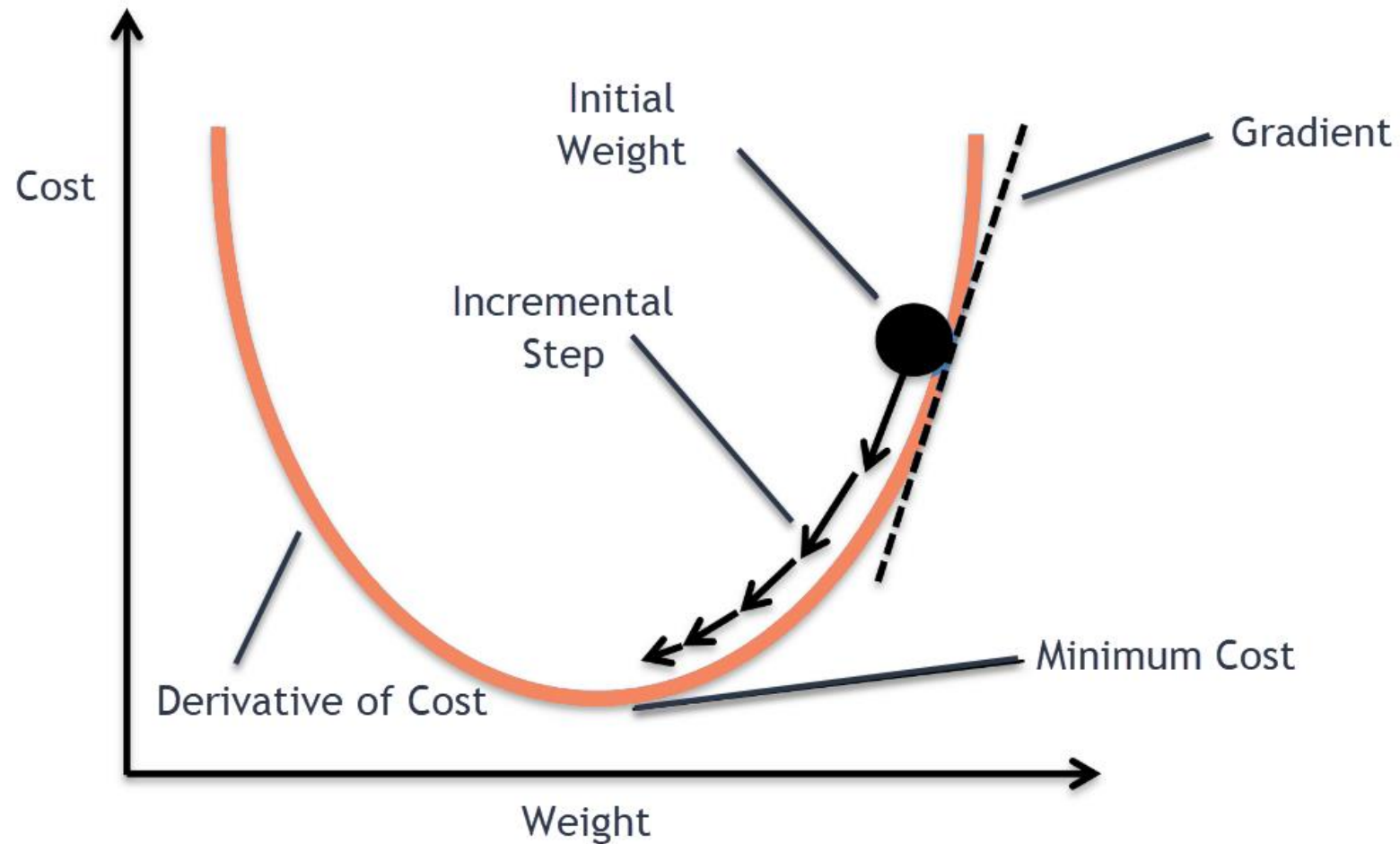
Error/Cost/Loss Function: $RSS = \sum_{i=1}^n (\hat{y}^{(i)} - y^{(i)})^2$

We find the best β_j by minimizing RSS using gradient descent.

$$\beta_j \leftarrow \beta_j - 2\alpha \cdot \sum_{i=1}^n (\hat{y}^{(i)} - y^{(i)}) \cdot x_j^{(i)}$$

Linear Regression

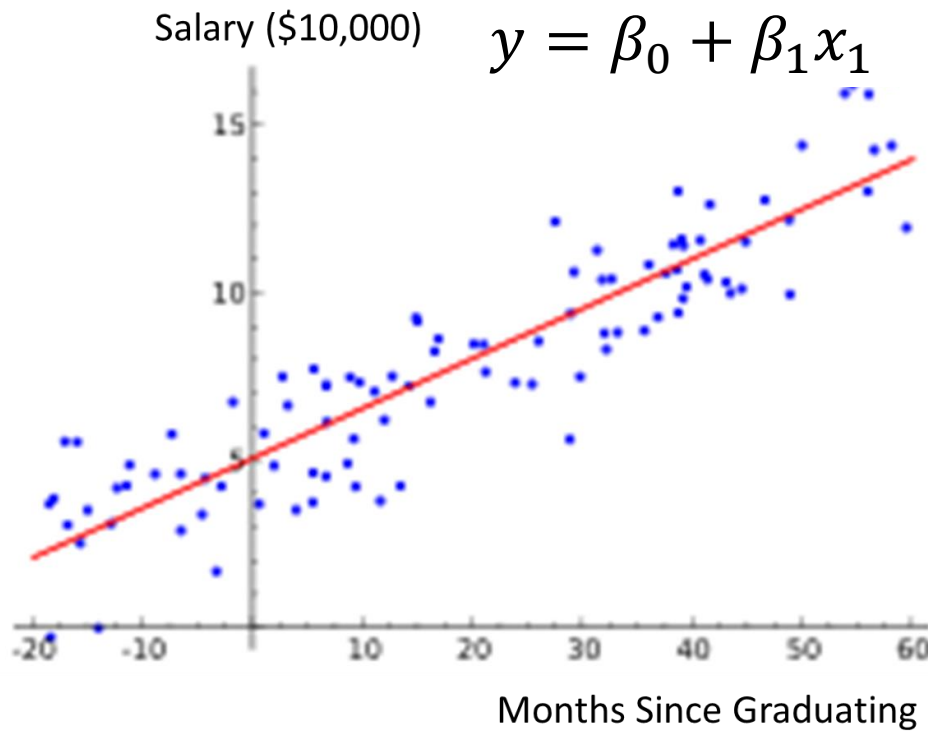
Finding the best coefficients



Why do we care about linear regression and what are the benefits?

Linear Regression

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- Relatively simple with intuitive an interpretation.

Linear Regression

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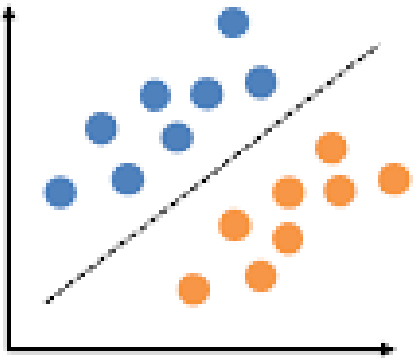
- Relatively simple with intuitive an interpretation.
- Its simplicity makes it fast, scalable, and widely applicable.



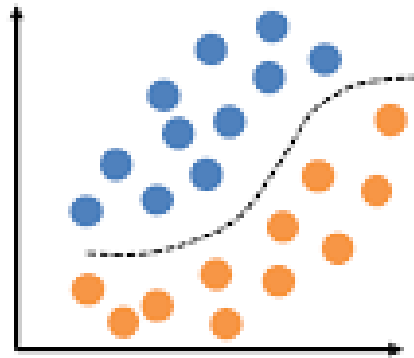
Linear Regression

Why do we care about linear regression and what are the benefits?

Linear

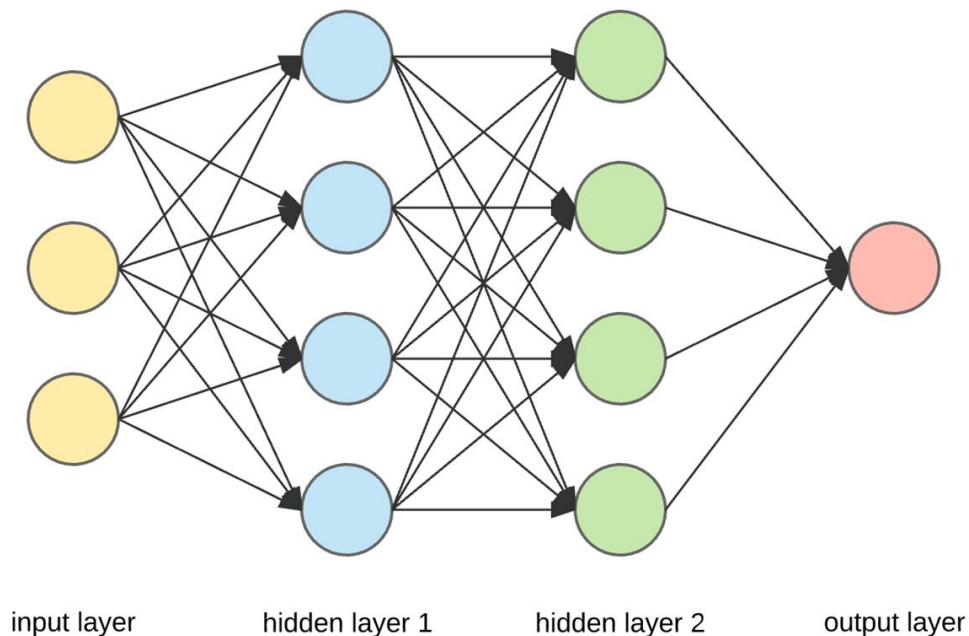


Nonlinear



- Relatively simple with intuitive an interpretation.
- Its simplicity makes it fast, scalable, and widely applicable.
- Good baseline to compare more complicated models to.

Why do we care about linear regression and what are the benefits?



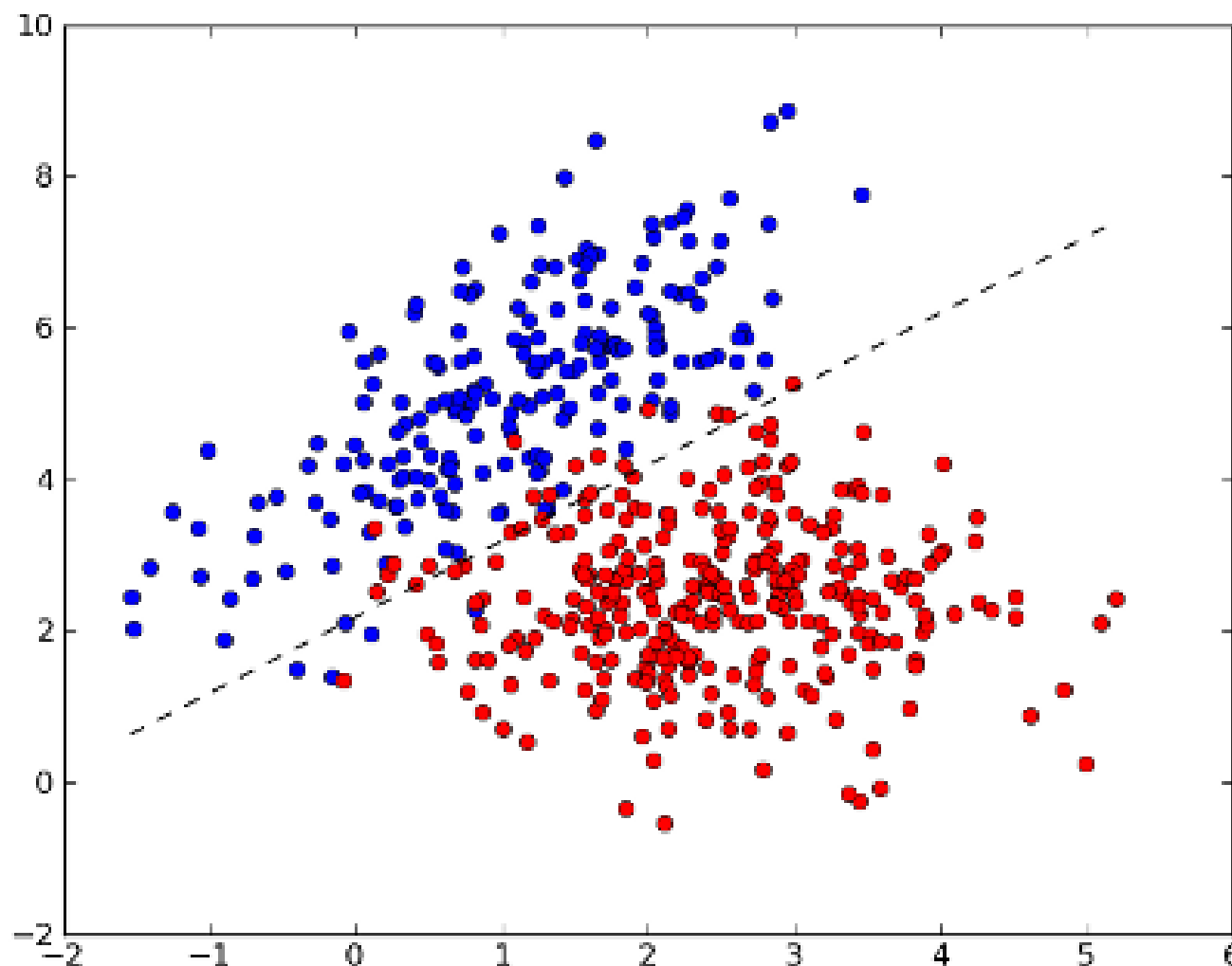
- Relatively simple with intuitive an interpretation.
- Its simplicity makes it fast, scalable, and widely applicable.
- Good baseline to compare more complicated models to.
- Building block for complex models

Classification

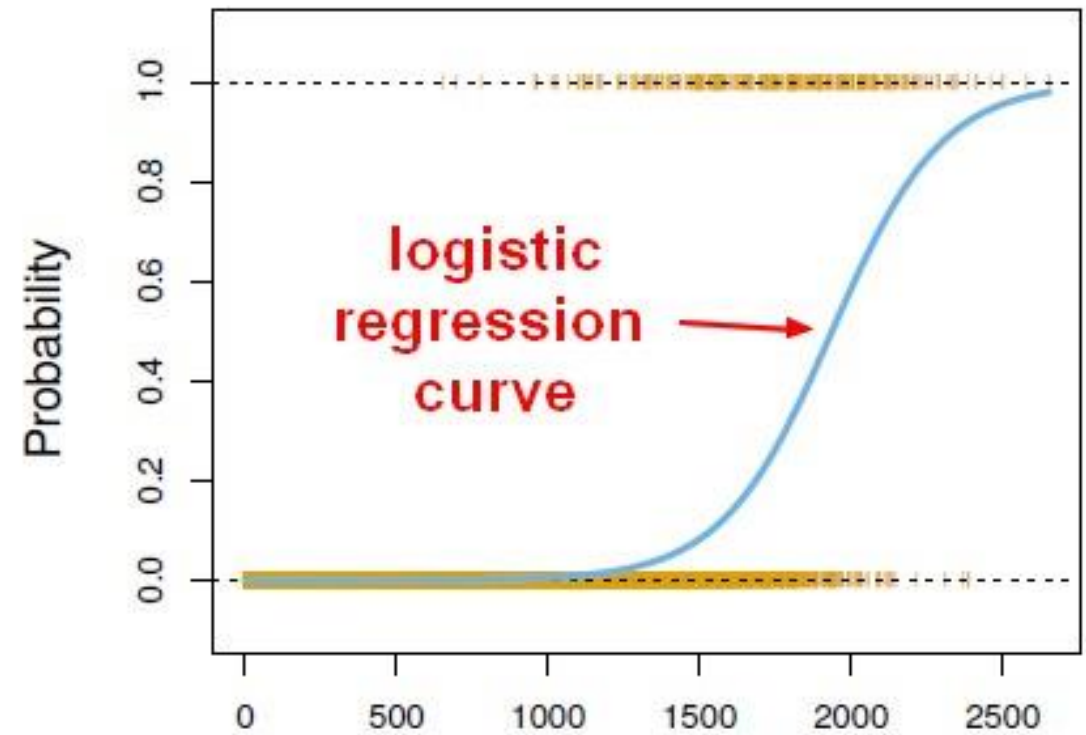
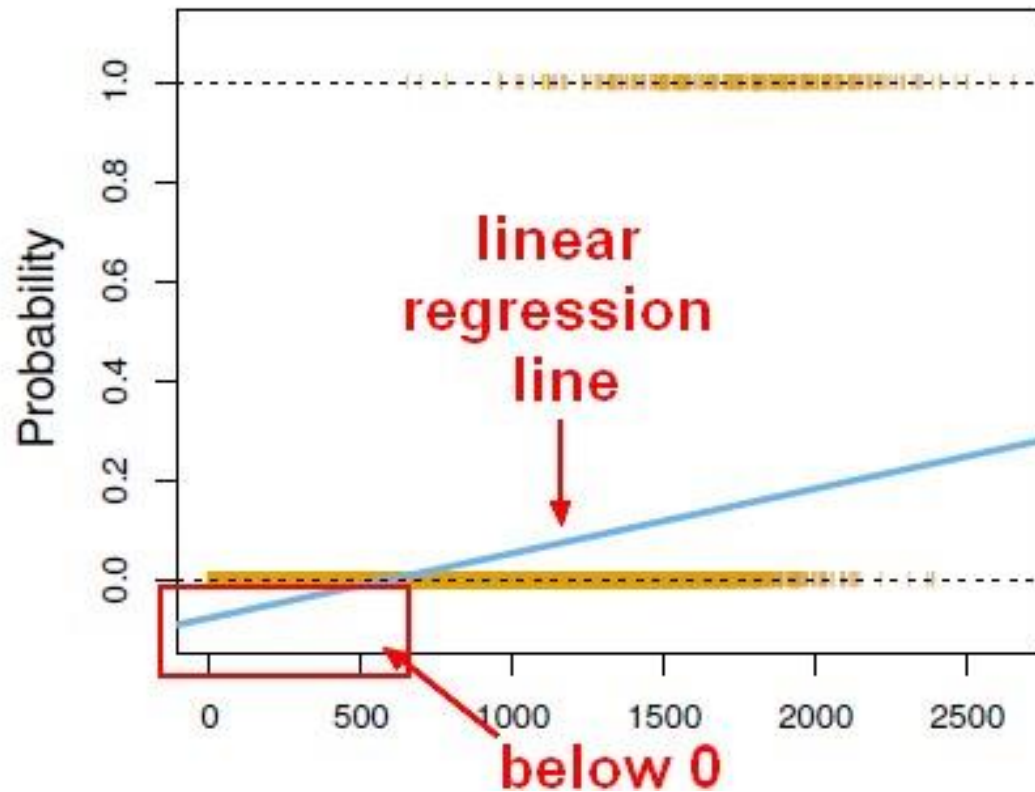
Classification predicts a categorical variable (discrete).

For example,

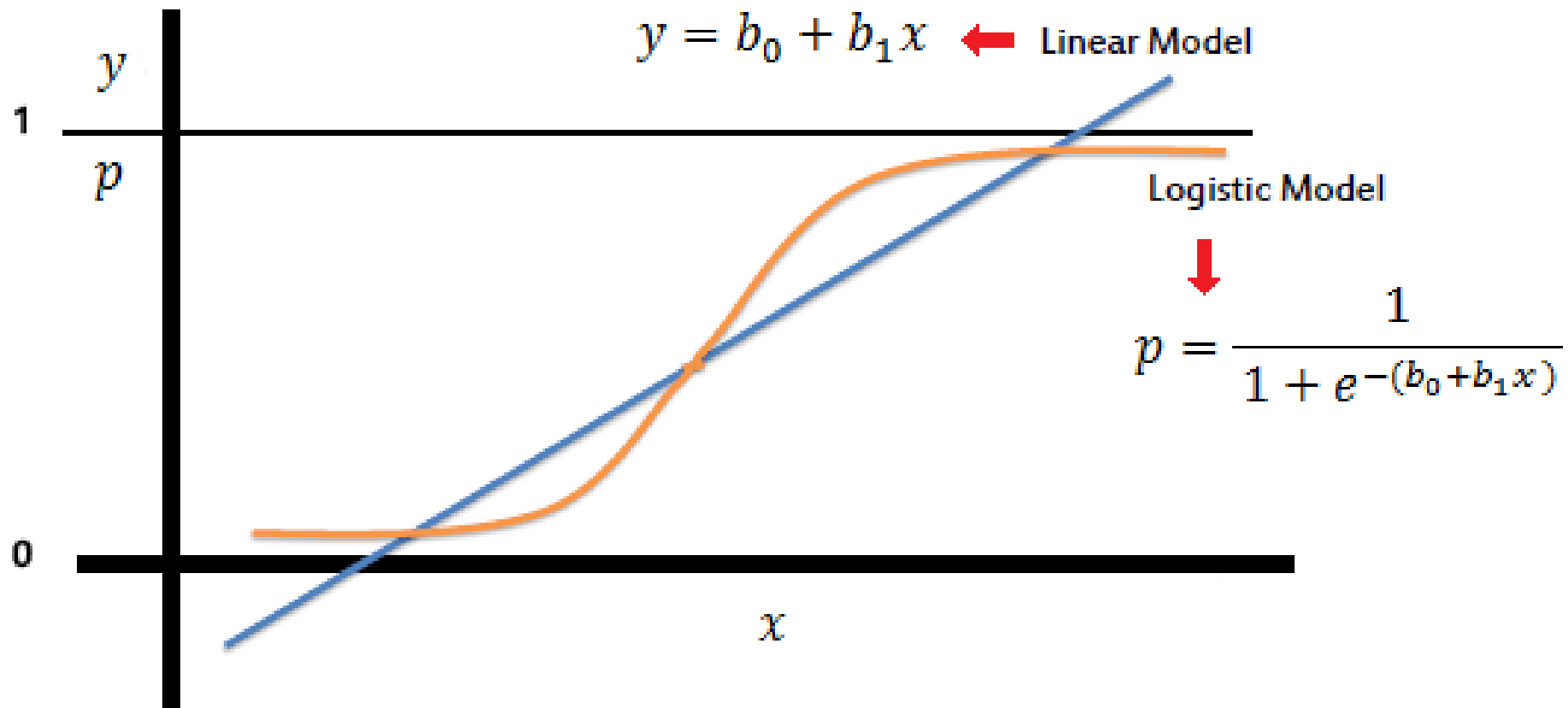
- predicting whether a person has a disease or not based on the results of lab tests
- predicting the type of objects in an image



Logistic Regression



Logistic Regression



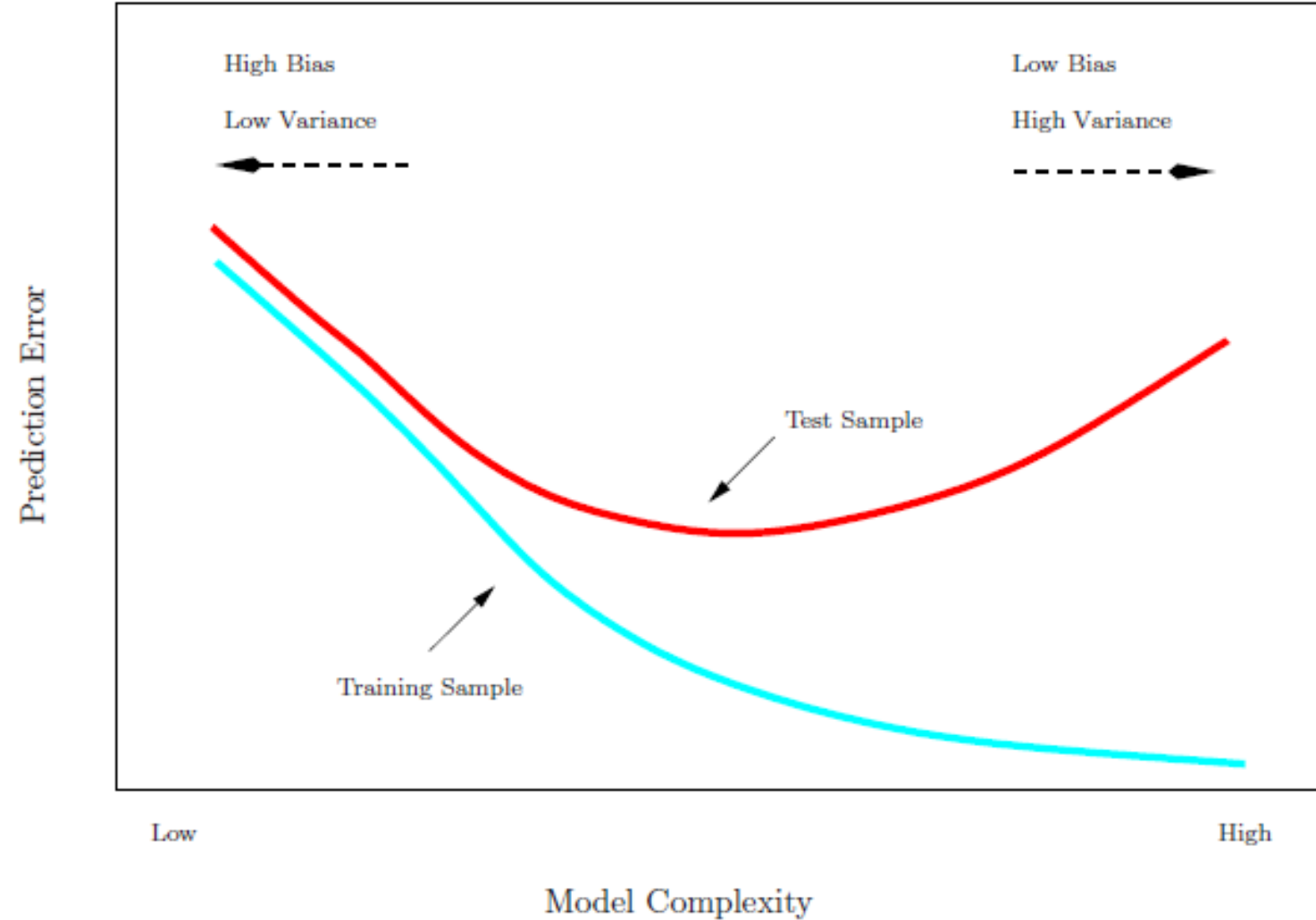
Resampling Methods

Answers: How well is the model doing?

Important Techniques:

- Cross Validation
- Bootstrap Sampling

Training- versus Test-Set Performance



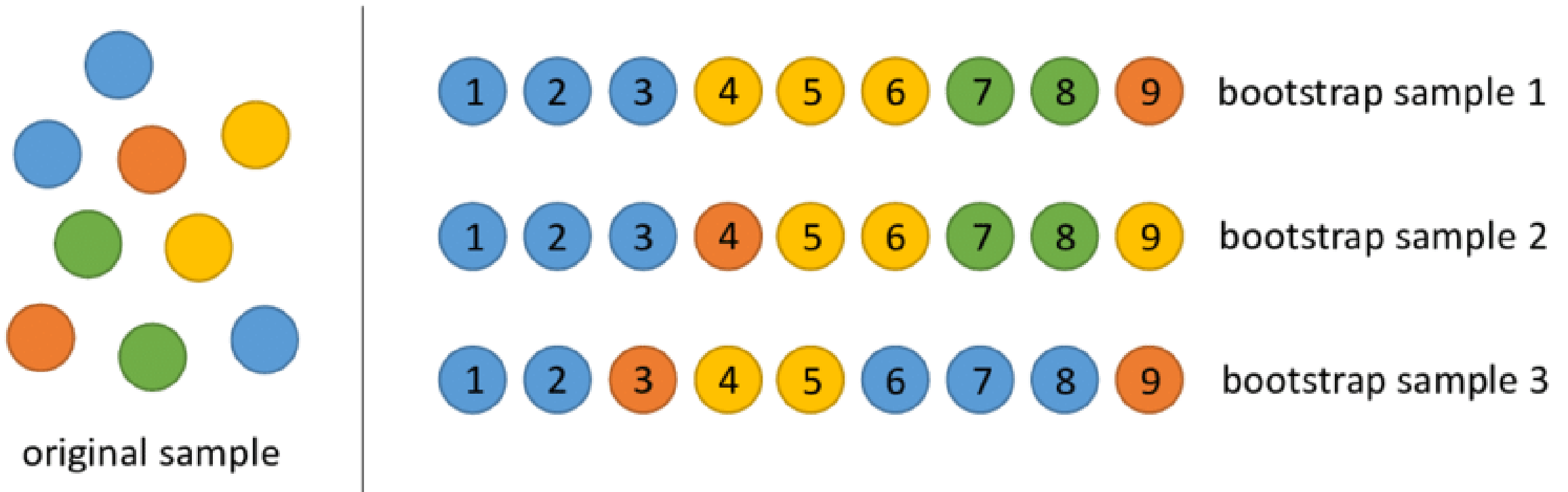
Resampling Methods

Cross Validation



Resampling Methods

Bootstrap Sampling

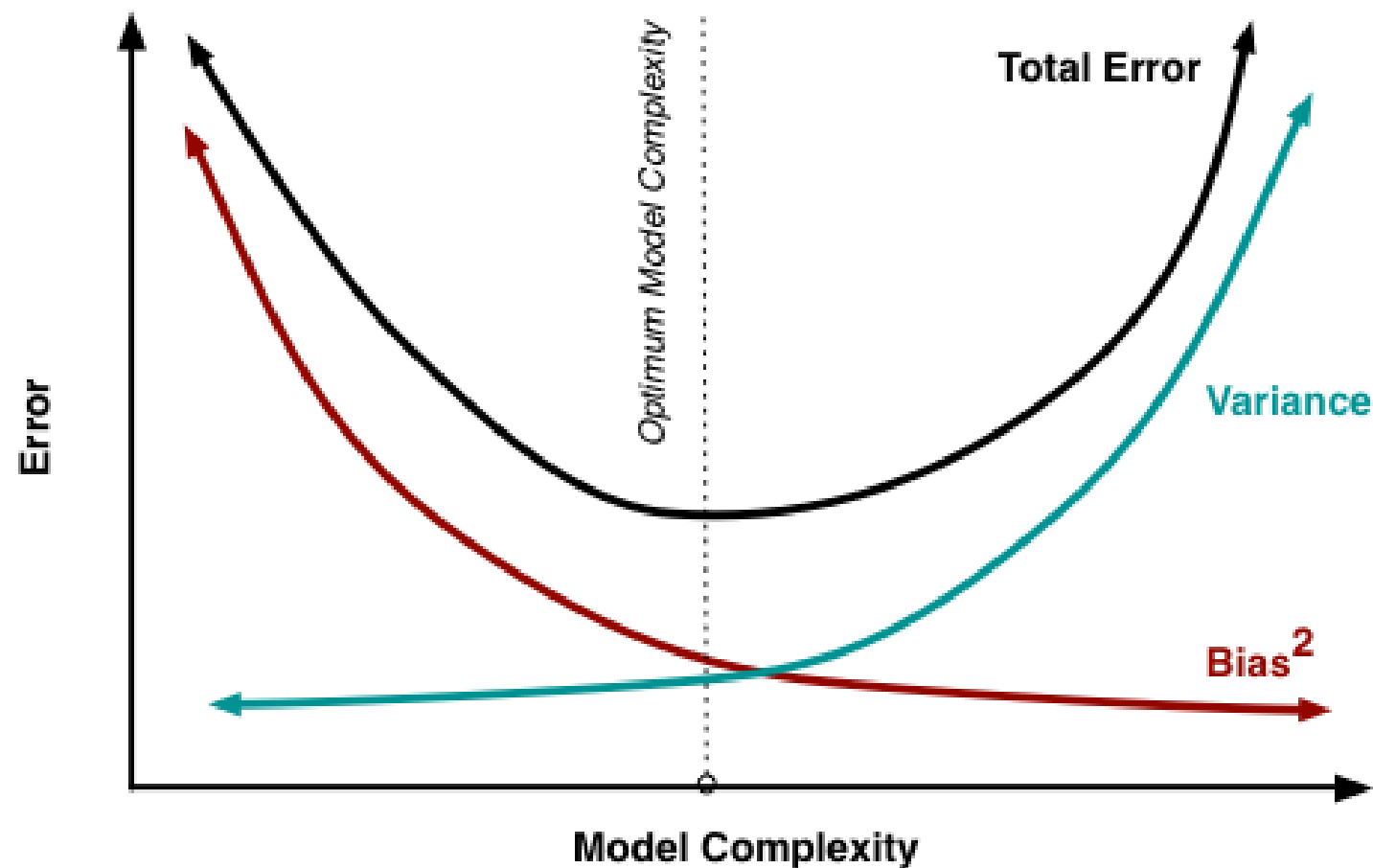


Model Selection and Regularization

Answers: How do we choose
the best model?

Important Techniques:

- Subset Selection
- Shrinkage & Regularization



Subset Selection

Linear Regression:

$$\hat{y} = \beta_0 + \beta_1 x_1 + \beta_2 x_2 + \cdots + \beta_p x_p$$

Subset Selection tries to find the best combination of predictors.

- Too many predictors will increase variance unnecessarily.
- Too few predictors will make it hard to fit the data properly.

Best Subset Selection (brute force)

- Start with a null model
- For $k = 1$ through p , fit all possible models with k predictors
- Select best model using cross validation, AIC, BIC, or adjusted R^2

Forwards Stepwise Selection (null model \rightarrow greedily add)

- Start with a null model
- Add the most useful predictor one at a time

Backwards Stepwise Selection (all features \rightarrow greedily remove)

- Start with all features
- Remove the least useful predictor one at a time

Shrinkage and Regularization

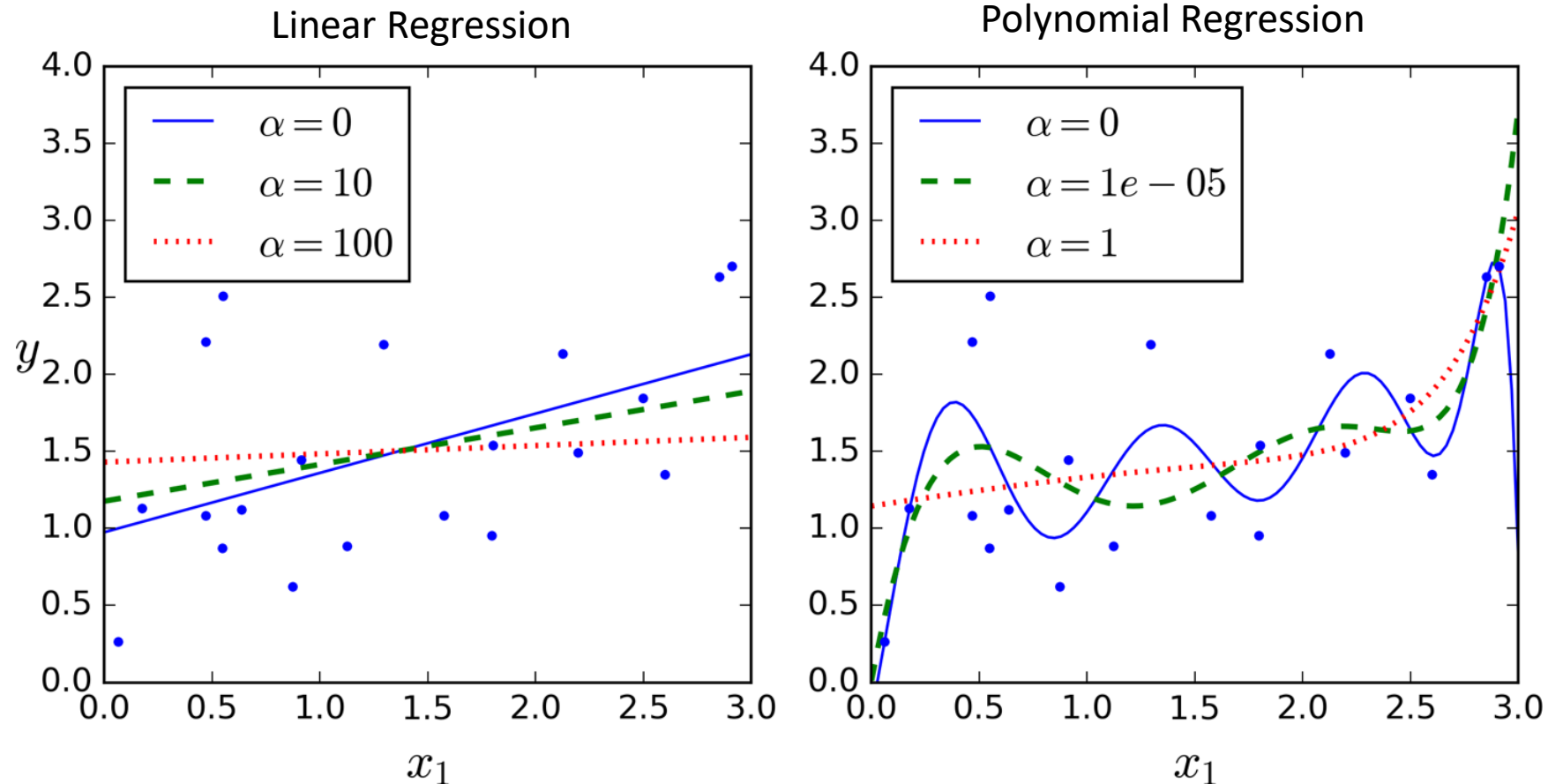
Linear Regression: $\hat{y}^{(i)} = \beta_0 + \beta_1 x_1^{(i)} + \beta_2 x_2^{(i)} + \dots + \beta_p x_p^{(i)}$

Residual Sum of Squares: $RSS = \sum_{i=1}^n \left(\beta_0 + \sum_{j=1}^p \beta_j x_j^{(i)} - y^{(i)} \right)^2$

Ridge: $RSS + \alpha \sum_{i=1}^n |\beta_j|^2$ (makes coefficients small but not zero)

Lasso: $RSS + \lambda \sum_{i=1}^n |\beta_j|$ (makes coefficients small and equal to zero)

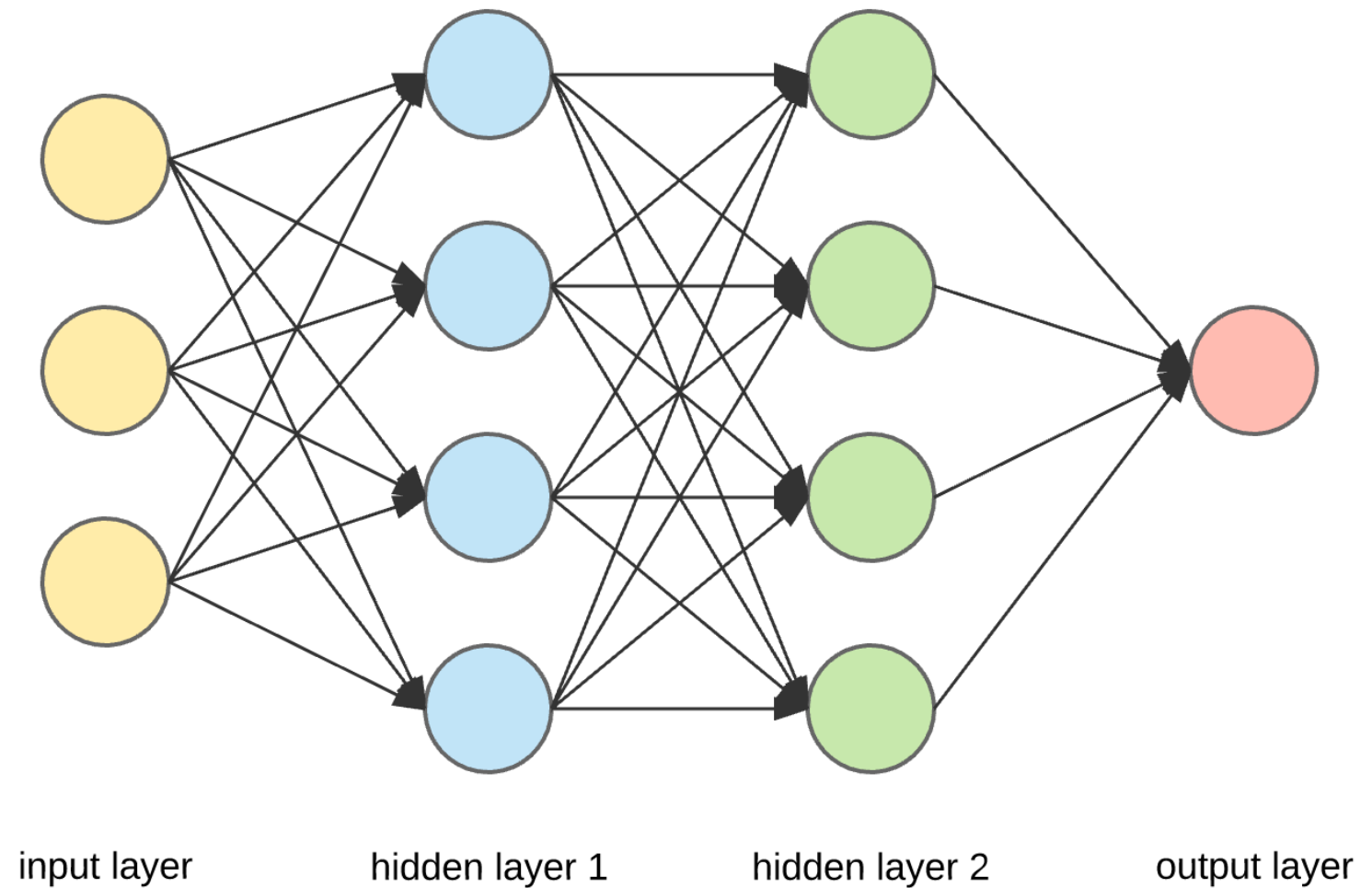
Shrinkage and Regularization



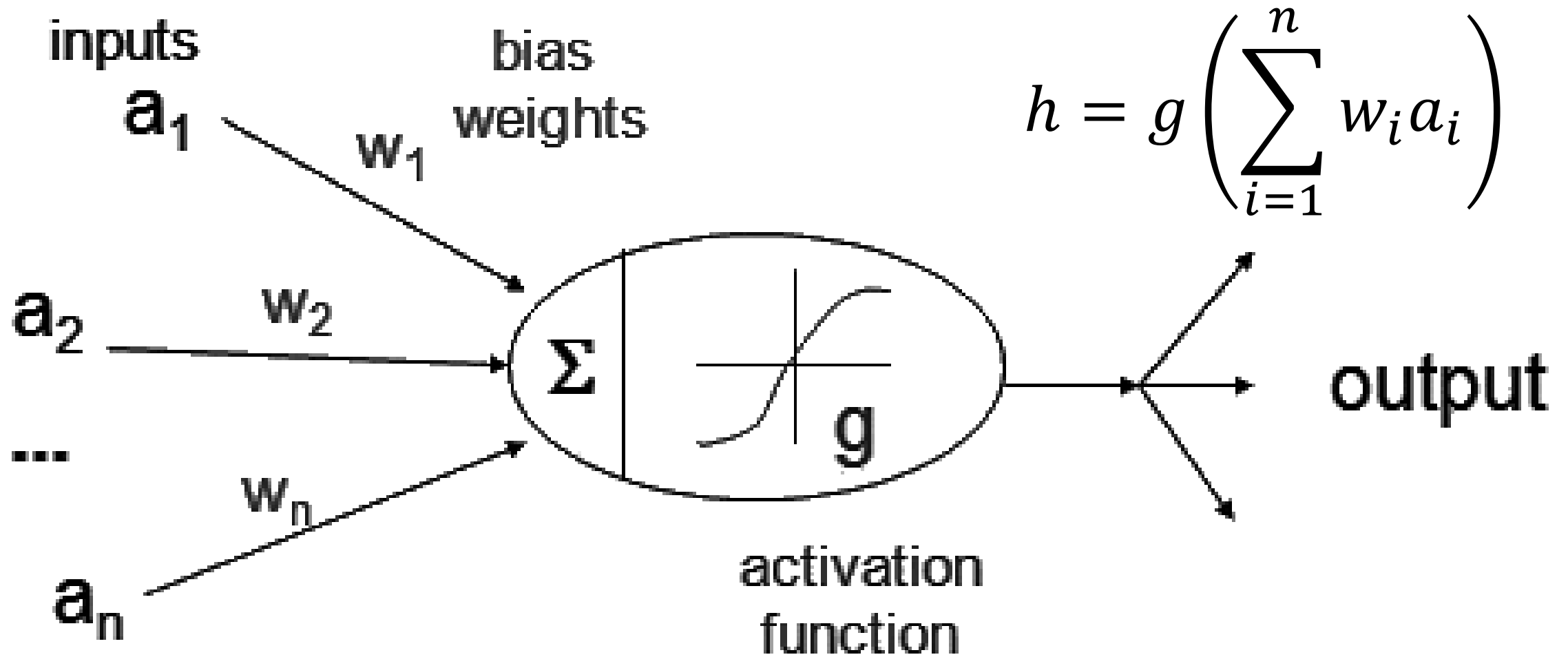
Neural Networks

Components

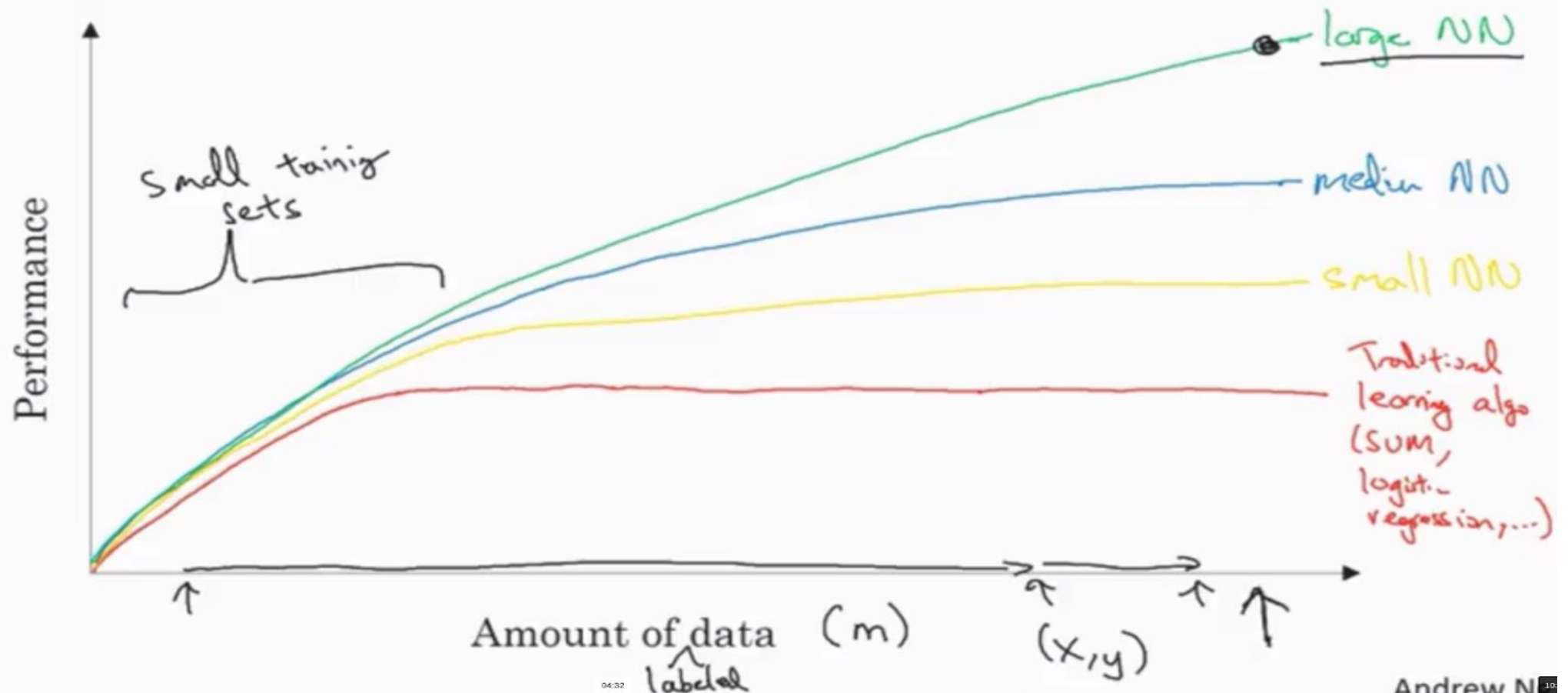
- Input Layer
- Hidden Layer
- Output Layer
- Nonlinear Activations
- Neurons



Neural Networks



Scale drives deep learning progress



Andrew Ng

What are the benefits of fully connected neural networks?

- **Nonlinear:** Universal Approximation Theorem: Any continuous function can be modeled with a single hidden layer and a sufficient number of neurons.
- **Scalable:** Modern advances in hardware (training on GPUs or TPUs) have allowed very large neural networks to be trained.
- **Foundational:** Fully connected networks form the foundation for more complex architectures like convolutional neural networks and recurrent neural networks.

Courses

- **Introduction Statistical Learning**
<https://online.stanford.edu/courses/sohs-ystatslearning-statistical-learning-self-paced>
- **Deep Learning Course 1 (Deep Learning and Neural Networks)**
<https://www.coursera.org/specializations/deep-learning>

Hawaii Machine Learning Study Group

- Meet twice a month at UH's Post building
- <https://hawaiimachinelearning.github.io/studygroup/>